# Optimal biasing and physical limits of DVS event noise

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Abstract—Under dim lighting conditions, the output of Dynamic Vision Sensor (DVS) event cameras is strongly affected by noise. Photon and electron shot-noise cause a high rate of non-informative events that reduce Signal to Noise ratio. DVS noise performance depends not only on the scene illumination, but also on the user-controllable biasing of the camera. In this paper, we explore the physical limits of DVS noise, showing that the DVS photoreceptor is limited to a theoretical minimum of 2x photon shot noise, and we discuss how biasing the DVS with high photoreceptor bias and adequate source-follower bias approaches optimal noise performance. We support our conclusions with pixel-level measurements of a DAVIS346 and analysis of a theoretical pixel model.

### I. INTRODUCTION

The Dynamic Vision Sensor (DVS) [1]–[4] is a neuromorphic event-based vision sensor, which consists of an array of asynchronously operating pixels as the one in Fig. 1 [4]. Each pixel independently encodes instantaneous changes in its input light into an asynchronous steam of ON and OFF events. More specifically, a pixel outputs an ON event when the relative Temporal Contrast (TC) [1] of light intensity at its input increases by a user defined ON threshold since the last event, or an OFF event when the relative TC increases by a user defined OFF threshold since the last event. When its input is static, a DVS pixel ideally outputs no event. More extensive description of the DVS pixel operation can be found in [1], [5], [6].

Characteristics of the DVS such as sparse data encoding and low latency make it a good candidate for scientific applications such as space situational awareness and widefield voltage and calcium imaging. The adequacy of the DVS for some applications is potentially limited by a too high rate of parasitic Background Activity (BA). BA consists of events that do not encode changes in the input. These events are undesirable because they decrease the Signal-to-Noise Ratio (SNR) and increase data volume [5], [8]. The BA of the DVS pixel strongly depends on both light intensity and camera biasing [3], [6], [9]–[11]. It is predominantly caused by photon and electron shot noise in dark settings [9], and by leakage in the reset transistor (Fig. 1F) in brighter settings [10].

A good understanding of the phenomena resulting in BA is important for improving camera models that can aid pixel design, optimization of the camera utilization, or learning algorithms [5], [6], [12], [13].

In [9], noise power at the output of the photoreceptor ( $V_{pr}$  in Fig. 1) and noise event rate are explored as a function of

illumination and photoreceptor bias  $I_{pr}$ . There, we observe that both noise power and event rate are lower for lower  $I_{pr}$ . This occurs because the bandwidth is lower for lower  $I_{pr}$ .

These observations suggest that using a small I<sub>pr</sub> to limit bandwidth reduces noise, and this assumption has been used as an optimization rule for bias control [13]. In this paper, we go a step further into understanding the optimal conditions and biasing of the DVS pixel, and show that in fact the opposite is generally true – even though strongly reducing  $I_{pr}$  leads to a decrease in noise events, noise performance is more optimal for high  $I_{pr}$ . We show that the DVS photoreceptor topology is bounded with a theoretical minimum of 2x photon shot noise, and we discuss bias optimization regarding bandwidth and its implications on noise and signal. In this paper, we focus on the biasing of the photoreceptor (Fig. 1A) by  $I_{pr}$ and the Source-Follower buffer (SF) (Fig. 1B) by  $I_{sf}$ . A more general discussion about bias optimization is presented in [6], and considerations about threshold and refractory biases are discussed in [11].

# II. OPTIMAL PHOTORECEPTOR BIASING

# A. PSD Measurements and modeling

Fig. 2a shows the noise PSD measured at  $V_{\rm pr}$  of a test pixel isolated from a DAVIS346 array under an on-chip illuminance of 0.1 lx for two different  $I_{\rm pr}$  settings: one high (3 nA) and one low (10 pA). The dashed lines in the figure show the PSD predicted by a theoretical physically-realistic model operating under the same conditions. The theoretical model was obtained by circuit analysis considering the sources of shot noise in the photoreceptor and applying the transfer function that relates them to  $V_{\rm pr}$ . The parameters for the model were then estimated and fitted based on SPICE simulation and pixel measurements.

Since the theoretical model generally matches both measured and simulated data, we utilize it to further infer about the noise contribution of each noise source to the total output noise. In Fig. 2b, we see how the contribution of the photocurrent  $I_{pd}$  (depicted by the dotted lines and consisting of photon shot noise at the photodiode and electron shot noise added by M<sub>fb</sub>) and the contribution of  $I_{pr}$  (depicted by the dashed lines, and consisting of noise introduced by M<sub>n</sub> and the transistor implementing  $I_{pr}$ ) add up to the total PSD. Here, we observe that the level of the contribution of  $I_{pd}$  is independent of  $I_{pr}$ , but its bandwidth may depend on  $I_{pr}$  – for a bias of 10 pA,  $I_{pr}$  is right at the edge of starting to filter out the  $I_{pd}$  contribution. That is, this contribution would be



Fig. 1. Typical DVS pixel circuit [7]. The active logarithmic photoreceptor (A) is buffered by a source-follower (B), which drives a cap-feedback change amplifier (C), which is reset on each event by a low-going *reset* pulse. A finite refractory period holds the change amplifier in reset for the refractory period  $\Delta_{\text{refr.}}$ . Comparators (D) detect ON and OFF events as seen in E. Periodic leak events result from junction and parasitic photocurrent  $I_{\text{leak}}$  in diode DL (F).

significantly reduced for lower  $I_{\rm pr}$ , and would become constant for higher  $I_{\rm pr}$  (as happens for  $I_{\rm pr}$  of 3 nA. On the other hand, the contribution of  $I_{\rm pr}$  moves to higher frequencies when  $I_{\rm pr}$ increases.

Fig. 2c shows the square root of the integral of the different components of the PSD in Fig. 2b. The final value of the square root of the integral is the RMS voltage noise contribution of its respective source. We see that the contribution of  $I_{pr}$  converges to a value independent of  $I_{pr}$  - the contribution is only shifted to higher frequencies. The contribution of  $I_{pd}$  is lower for lower  $I_{pr}$ , which happens due to filtering by  $I_{pr}$  [9]. For higher values of  $I_{pr}$ , filtering would stop occurring and the contribution of  $I_{pd}$  converges to the constant value observed at  $I_{pr}$  of 3 nA.

Figs. 2e and 2f show the modeled PSDs and the square root of their integrals for the contributors at the output of the SF,  $V_{sf}$ . The PSDs were obtained by filtering the ones at  $V_{pr}$  using a model of the SF estimated by circuit inspection and simulation. Also, the noise contribution of  $I_{sf}$  is added in the dashed line. However, its value is much smaller than the contribution of the photoreceptor (the summation of the contributions of  $I_{pd}$  and  $I_{pr}$ ).

Fig. 2d shows the modeled signal transfer function from logarithmic changes in light intensity to voltages at  $V_{pr}$  and  $V_{sf}$ . As described in [9], it can be approximately modeled as a second order system with one pole dependent on  $I_{pd}$  and the other dependent on  $I_{pr}$ . At  $I_{pr}$  of 3 nA, the pole controlled by  $I_{pd}$  is clearly dominant, while for  $I_{pr}$  of 10 pA the two poles lie very close to each other. The SF add another pole, which for the bias used is close to the dominant of the photoreceptor.

Fig. 3 show the noise rates measured from the same test pixel for varying  $I_{pr}$  for two different on-chip illumination levels. We observe that for high  $I_{pr}$ , noise rate becomes mostly constant, since all the noise components of  $I_{pr}$  are filtered out. For middle  $I_{pr}$  values, the noise contributions of  $I_{pr}$  lie within the signal bandwidth and are not filtered out, and the noise rates peak. For lower  $I_{pr}$  the noise rates decrease because  $I_{pr}$  limits the bandwidth.

### B. Optimal biasing and optimality analysis

From Fig. 2c we can see how strongly biasing  $I_{pr}$  results in shifting the noise components added by  $I_{pr}$  to higher frequencies outside the bandwidth of interest for signal. This means that we can filter them out using the SF without consequences for signal. In the limit, if we bias  $I_{pr}$  so strongly that all its contribution is removed by SF, the output noise consists of only the noise contribution of  $I_{pd}$  (which consists itself on equal parts of photon shot noise and M<sub>fb</sub> noise), and the much smaller noise contribution of  $I_{sf}$ . In this case, we are theoretically limited to a minimum of 2x photon shot noise when the contribution of  $I_{sf}$  becomes negligible.

The clear advantage of strongly biasing  $I_{\rm pr}$  is illustrated in Fig. 2f. For  $I_{\rm pr}$  of 3 nA, the model predicts a contribution of photon shot noise of 46% (approximating the theoretical limit of 50%), resulting in a noise event rate of 0.02 Hz under nominal threshold and refractory biases [6] versus 12% for  $I_{\rm pr}$  of 10 pA, resulting in a noise event rate of 0.66 Hz.

The model predicts an RMS noise contribution equivalent to TC log-e units of 0.006 for  $I_{\rm sf}$ . The contributions of  $I_{\rm pd}$  and  $I_{\rm pr}$ depend on filtering, but for the case where the pole controlled by  $I_{pd}$  is dominant and filtering by the SF is not considered, they are respectively 0.04 and 0.06 for most values of  $I_{pd}$  and  $I_{\rm pr}$ . Although **RMS** noise alone is not enough to characterize DVS noise, since it does not contain information about the noise frequency [9], these numbers are useful to evaluate design limitations to the event sensitivity (i.e. the minimum event threshold with acceptable noise rates). One important conclusion is that  $I_{sf}$  should be adjusted to the minimum acceptable bandwidth for each application and  $I_{pr}$  should be adjusted so that all its contributions are filtered out. Given that increasing  $I_{pr}$  increases power consumption,  $I_{pr}$  should be optimized to trade off power with noise performance. In the limit where the photoreceptor bandwidth is much higher than the SF bandwidth (which happens for very high illuminance, high  $I_{pr}$  and nominal or low  $I_{sf}$ ) the noise, noise introduced by  $I_{pd}$  and  $I_{pr}$  is filtered out and SF becomes the main noise contributor.



Fig. 2. (a) shows noise PSDs measured from a DAVIS346 test pixel for two different  $I_{pr}$  biases for an on-chip illuminance of 0.1 lx and the PSDs estimated by a theoretical model for the same conditions. (b) shows the estimated contributions of  $I_{pr}$  and  $I_{pd}$  to the total PSD for the same model in the same conditions, and (c) shows the square root of the integral of the curves in (b). The final value of these curves is the respective contribution to the RMS noise voltage at  $V_{pr}$ . (c) and (f) show the same quantities as (b) and (c), but relative to  $V_{sf}$ . (d) shows the estimated signal transfer function from TC (in log-e units) to  $V_{pr}$ and  $V_{sf}$ .



Fig. 3. Background activity measured from a DAVIS346 test pixel under constant on-chip illuminance of 2 mlx (orange line) and 40 mlx (blue line) for  $I_{sf}$  of 10 pA (as in Fig. 2) and nominal threshold and refractory bias settings (see [6] for a characterization of these parameters, nominal settings corresponds to tweaks of 0 there).

Filtering with SF and not with  $I_{pr}$  is generally a better idea since it introduces significantly less noise, and the noise it introduces is not filtered out in any case. However, in practical DVS implementations operating in very dark settings, very low  $I_{pr}$  may result in a lower bandwidth than the minimum achievable by the SF, and minimizing both  $I_{pr}$  and  $I_{sf}$  may result in less BA.

# III. CONCLUSION

The measurements and analysis presented show that the DVS pixel is limited to a minimum of 2x photon shot noise, and that using high  $I_{pr}$  and adequate  $I_{sf}$  approximates this limit. We also discuss the limits imposed to event sensitivity by each noise contributor.

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